

A noninteracting low-mass black hole–giant star binary system

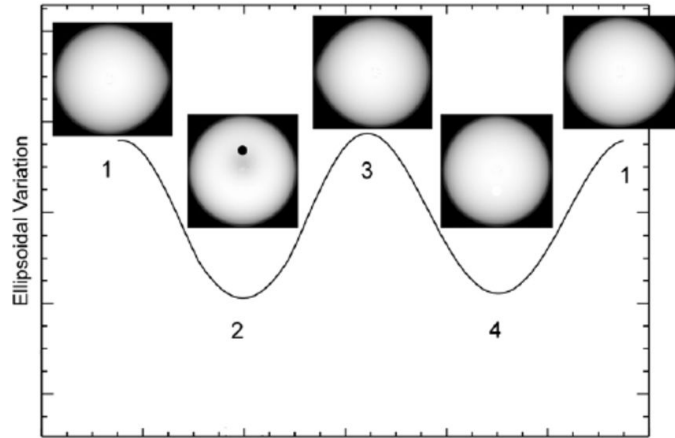
Todd A. Thompson, Christopher S. Kochanek, Krzysztof Z. Stanek, Carles Badenes et al. 2019, *Science*, 366, 637-640

How to find a stellar mass BH?

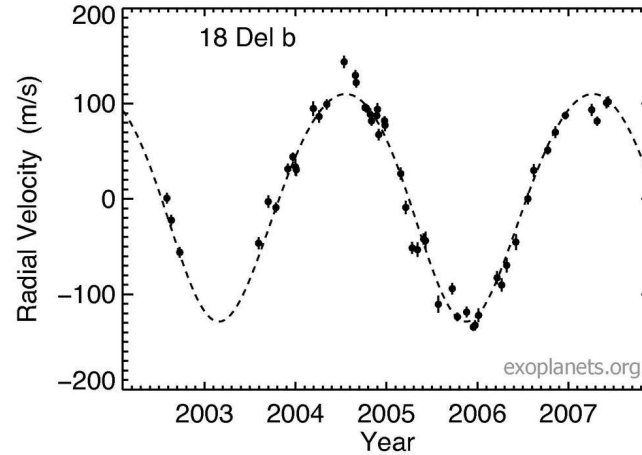
- Interacting
 - X-rays : HMXBs, LMXBs, Accretion of ISM
 - Mergers - LIGO

- Non-interacting :
 - Microlensing
 - Spectroscopy of binaries
 - Light curve modulations followed by spectroscopy

Light curve modulation + RV

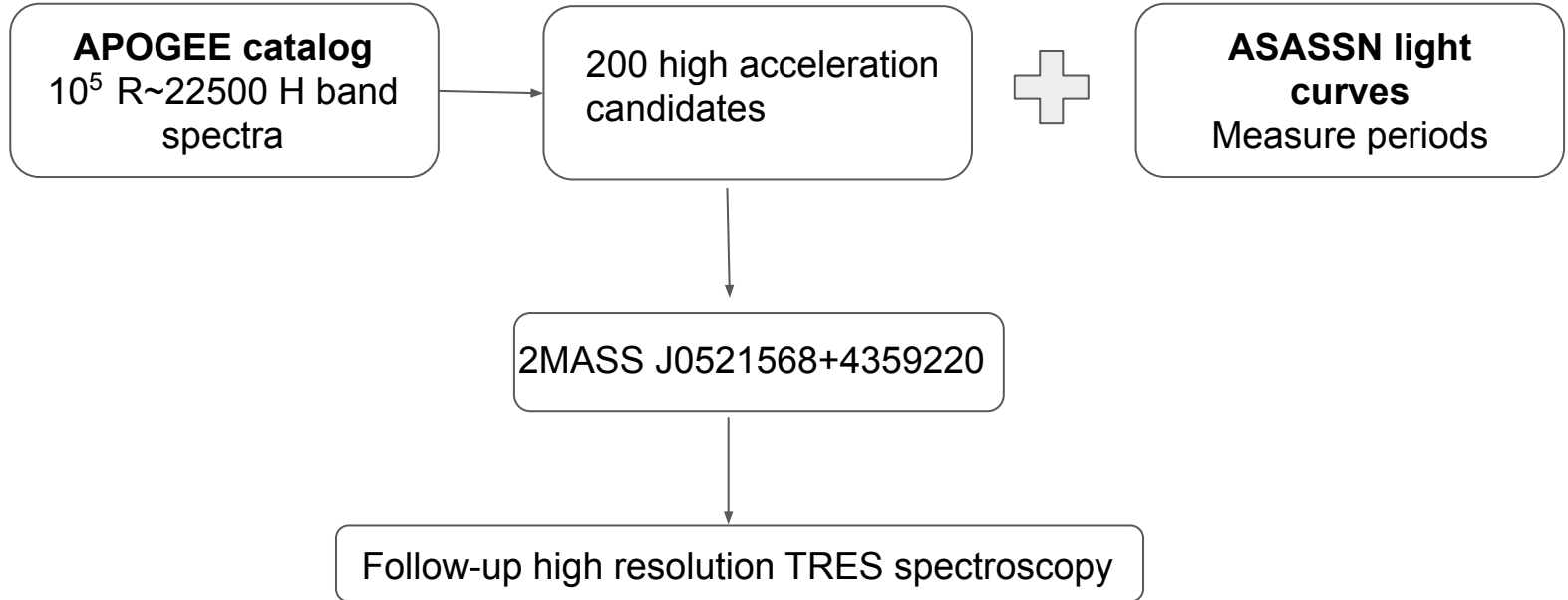


- Ellipsoidal modulation
 - $P, q = (M_2/M_1), R, i$
- Star spots
 - P



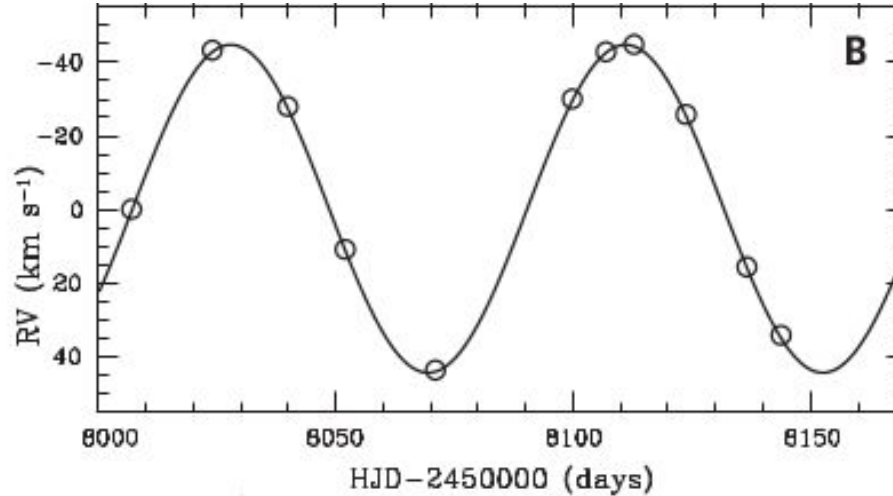
- $K = v_{\max} \sin(i)$
- P : orbital period
- e : eccentricity

Candidate selection



Binary system parameters

RV :

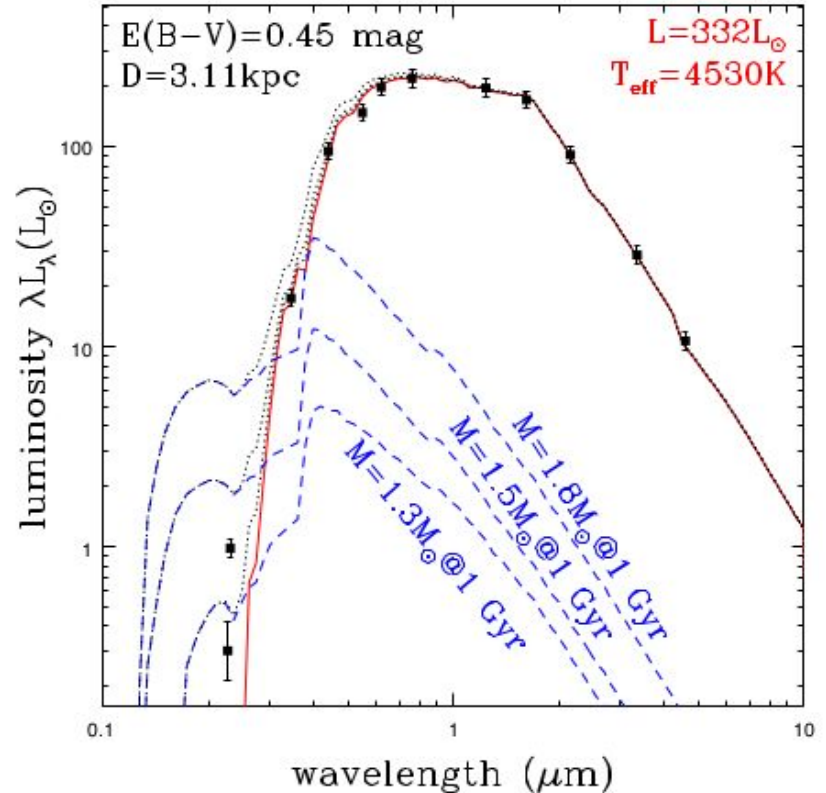


$$P = 83.2 \pm 0.06 \text{ days}, K = 44.6 \pm 0.1 \text{ km/s}, e = 0.0048 \pm 0.0026$$

$$f(M) \equiv \frac{M_{\text{CO}}^3 \sin^3 i_{\text{orb}}}{(M_{\text{giant}} + M_{\text{CO}})^2} = \frac{K^3 P_{\text{orb}}}{2\pi G} (1 - e^2)^{3/2} \simeq 0.766 \pm 0.006 M_{\odot}$$

Binary Parameters

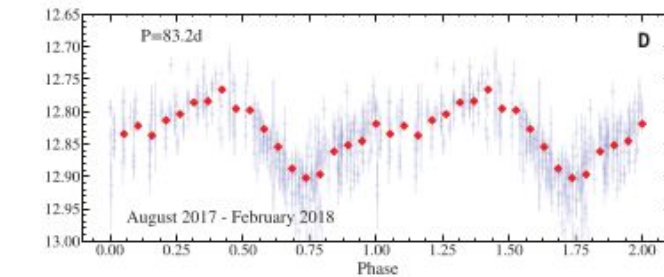
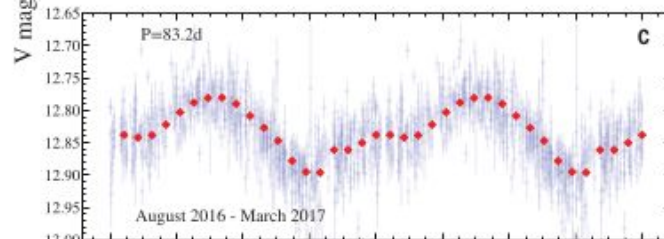
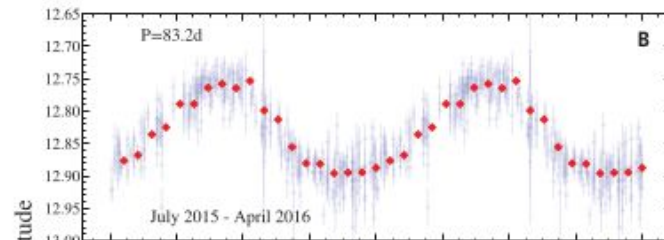
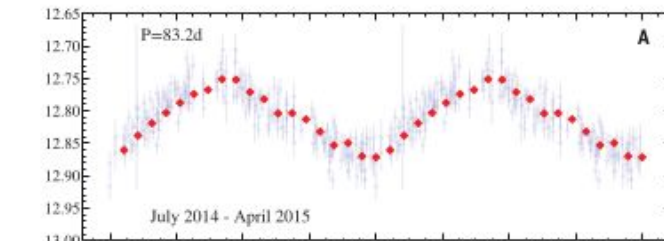
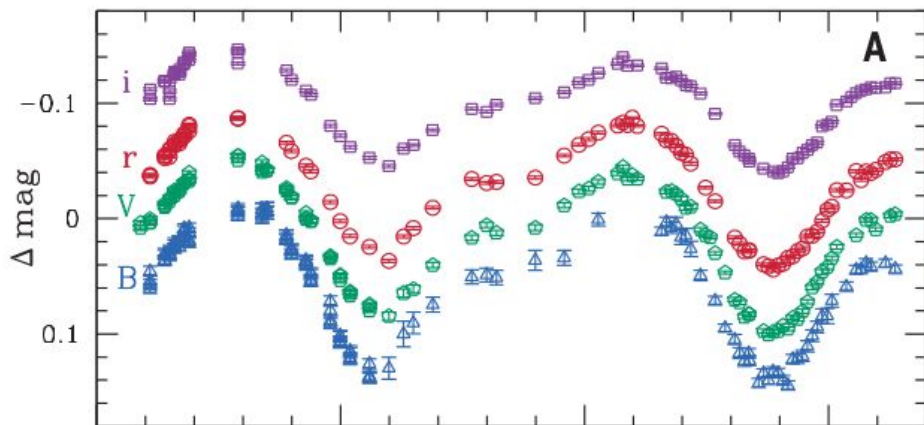
- $f(M) \sim 0.76$
- $M_{\text{giant}} > 1 M_{\odot}$ suggests $M_{\text{CO}} > 1.8 M_{\odot}$
- SED modeling rules out a stellar companion



Giant mass, inclination

Lightcurve?

- Spotted K-type giant star



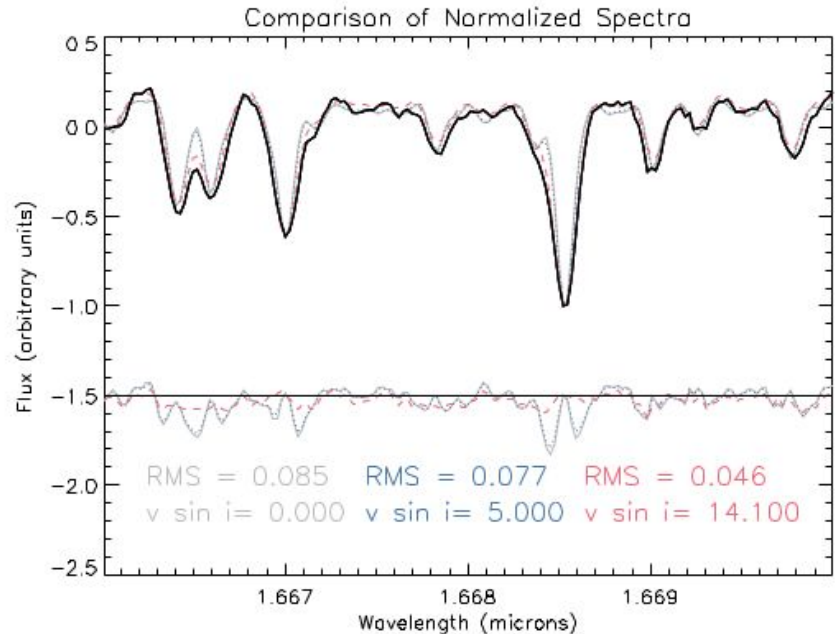
Giant mass, inclination

- Assume the system is tidally locked : $P_{\text{rot}} = P_{\text{orb}} = P$, $i_{\text{rot}} = i_{\text{orb}} = i$
- $v_{\text{rot}} = (2 \pi/P) * R * \sin(i)$
- Measure $v_{\text{rot}} \sin(i_{\text{rot}})$ from high res. spectrum (= 14.1 km/s)

- $R \sim 14.1 * P/\sin(i)$
- $g \sim GM_{\text{giant}}/R^2$
- Measured $\log(g) = 2.35 \pm 0.14$

$$R \simeq 23 \pm 1 R_{\odot} / \sin i$$

$$M_{\text{giant}}^{\log g} = 4.4_{-1.5}^{+2.2} M_{\odot} / \sin^2 i.$$



Giant Mass, inclination

Observed flux + GAIA distance

- Corrected GAIA parallax ~ 0.372 mas, $D \sim 3.11$ kpc

$$L \simeq 331_{-127}^{+231} L_{\odot} \quad \text{and} \quad R \simeq 30_{-6}^{+9} R_{\odot}$$

- Comparing the two radii gives

$$\sin i \simeq 0.8 \pm 0.2 \quad M_{\text{giant}}^{\log g} \gtrsim 3.2_{-0.9}^{+1.2} M_{\odot} \quad M_{\text{CO}} \gtrsim 2.5 M_{\odot}$$

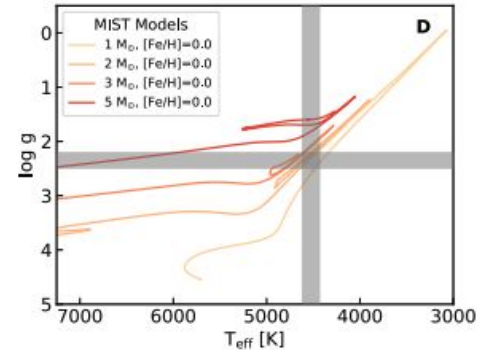
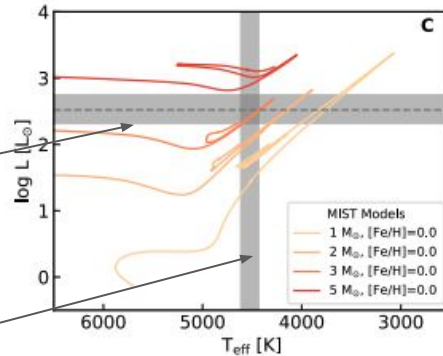
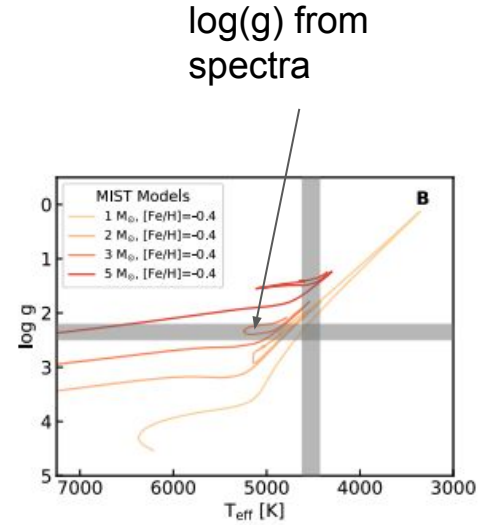
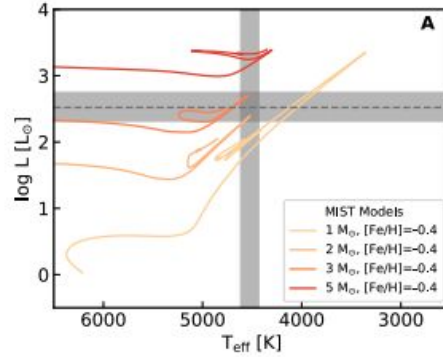
- A better estimate of M_{giant} will constrain i and M_{CO}

Comparison to Stellar Evolutionary Tracks

- $\log(g)$ and T_{eff} of the giant determined from spectra
- L (determined from flux, distance) and R given by parallax method
- Use solar metallicity models to determine best-fit mass of giant

L from
parallax

T_{eff} from
spectra



Comparison to Stellar Evolutionary Tracks

$$T_{\text{eff}} = 4525 \pm 90 \text{ K}$$

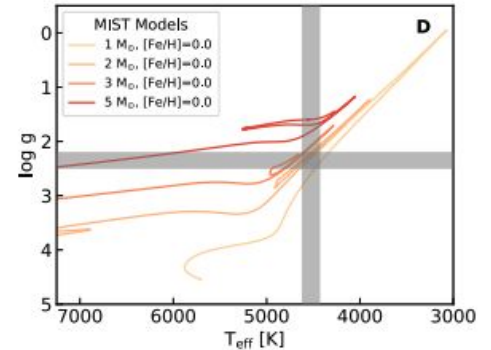
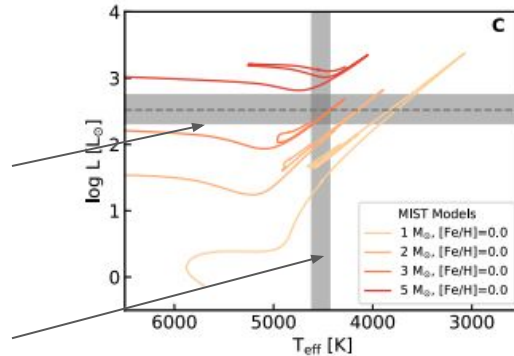
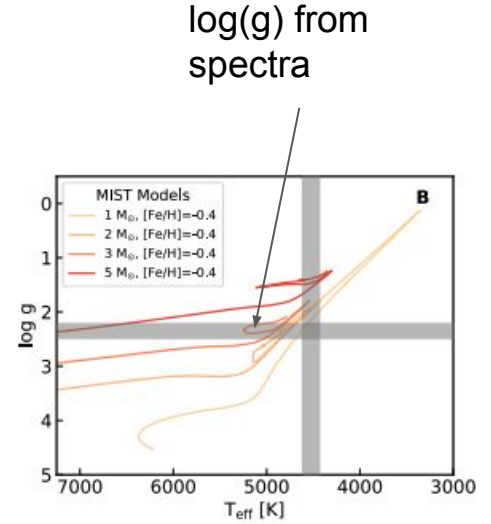
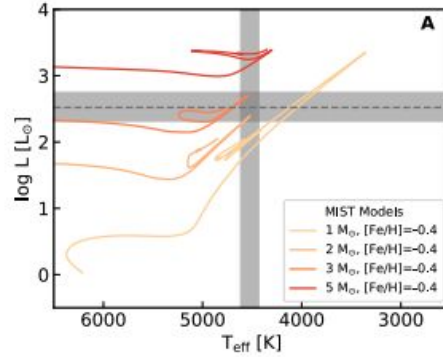
$$\log g = 2.35 \pm 0.14$$

$$L \simeq 331_{-127}^{+231} L_{\odot}$$

- Low T_{eff} favors ~ 1 Msun giant
- Bolometric luminosity favors 2-3 Msun giant

L from
parallax

T_{eff} from
spectra



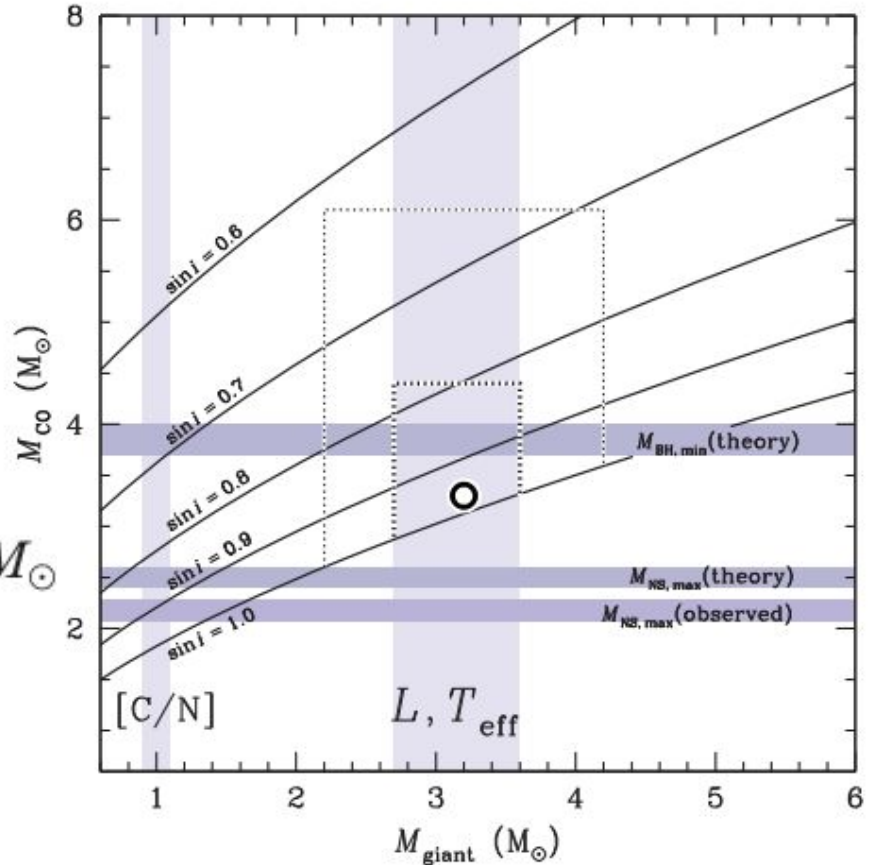
Compact Object Mass Constraints

- Given APOGEE $v \cdot \sin(i)$ measurement along with v from M_{giant} , R , and $\log(g)$ gives $\sin(i)$

$$M_{\text{giant}} \simeq 3.2^{+1.0}_{-1.0} M_{\odot} \quad \sin i \simeq 0.97^{+0.03}_{-0.12}$$

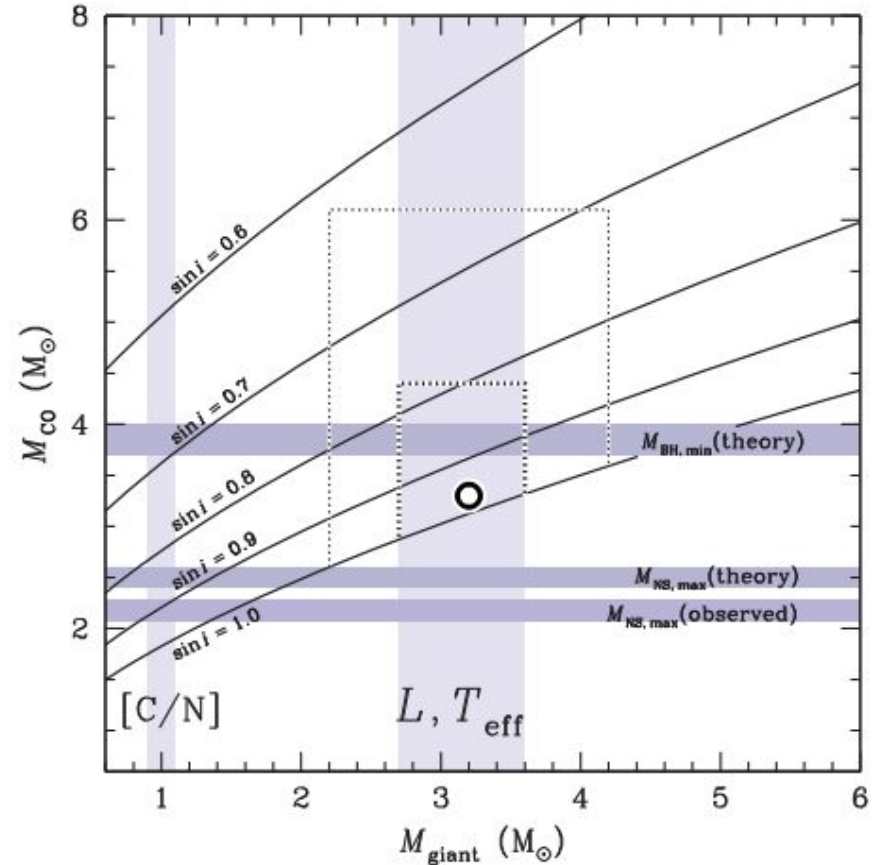
$$f(M) \equiv \frac{M_{\text{CO}}^3 \sin^3 i_{\text{orb}}}{(M_{\text{giant}} + M_{\text{CO}})^2} \simeq 0.766 \pm 0.006 M_{\odot}$$

$$M_{\text{CO}} \simeq 3.3^{+2.8}_{-0.7} M_{\odot}$$



Compact Object Mass Constraints

- Variation in $\log(g)$ and $\sin(i)$ gives MCO ~ 2.9 - $4.0 M_{\odot}$
- Empirical relation b/w [C/N] and M_{giant} implies low mass giant (M_{giant} $\sim 1 M_{\odot}$), but unlikely:
 - Inconsistent with previous mass derivation
 - Anomalies in APOGEE sample



X-ray limits: evidence for non-interaction

- Swift XRT limits from 0.3-10 keV:
 - $F_x = 4.4 \times 10^{-14} \text{ erg cm}^{-2} \text{ s}^{-1}$
 - $10^{-2} L_{\text{sun}}$ at 3.1 kpc
 - $10^{-7} L_{\text{edd}}$ for $3 M_{\text{sun}}$ BH
- For efficient wind-powered accretion, $0.35 L_{\text{sun}}$ needed
- X-ray limits imply radiatively inefficient accretion
- Gas may be expelled from system without accreting

$$\dot{M}_{\text{acc}} \sim \frac{\dot{M}_{\text{wind}}}{(4\pi s^2)} \pi \left(\frac{GM_{\text{CO}}}{V_{\text{wind}}^2} \right)^2 \sim 2 \times 10^{-13} M_{\odot} \text{ yr}^{-1} \frac{\dot{M}_{\text{wind}, -10} M_{\text{CO}, 3}^2 \sin^2 i}{V_{\text{wind}, 200}^4}$$

Thompson et al. rebuttal to van den Heuvel & Tauris

The argument: J05215658 is actually a triple system: 1 M_{solar} giant with two 0.9 M_{solar} stars

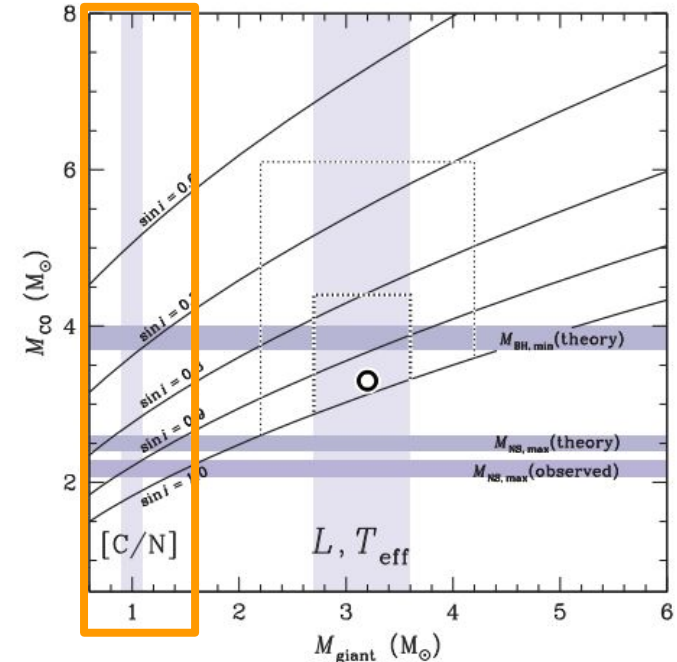
Is there validity to this argument?

Thompson et al. rebuttal to van den Heuvel & Tauris

The argument: J05215658 is actually a triple system: 1 M_{solar} giant with two 0.9 M_{solar} stars

Is there validity to this argument?

-[C/N] ratio implies a lower mass

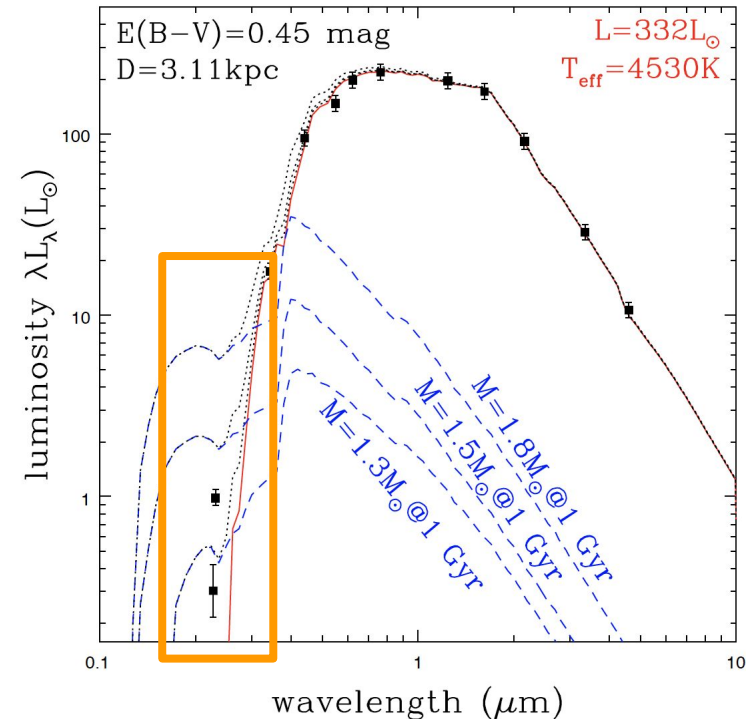


Thompson et al. rebuttal to van den Heuvel & Tauris

The argument: J05215658 is actually a triple system: 1 M_{solar} giant with two 0.9 M_{solar} stars

Is there validity to this argument?

-[C/N] ratio implies a lower mass



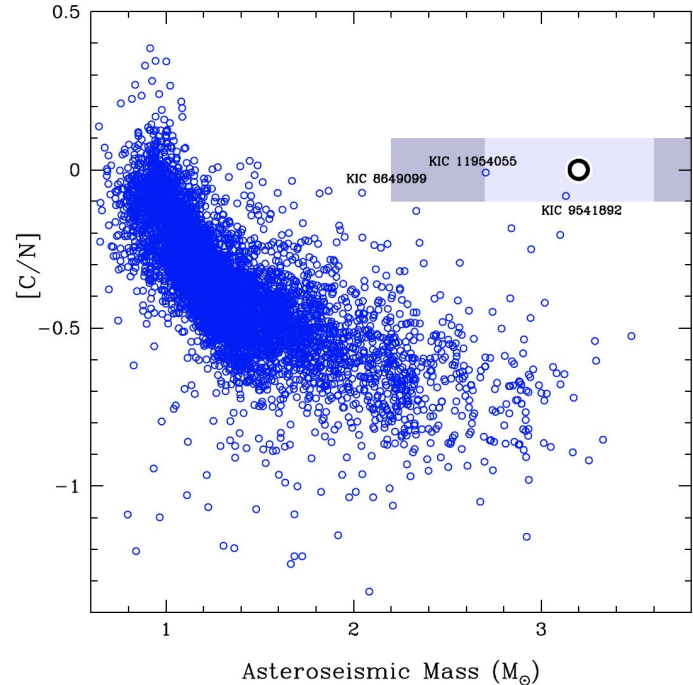
Thompson et al. rebuttal to van den Heuvel & Tauris

The argument: J05215658 is actually a triple system: 1 M_{solar} giant with two 0.9 M_{solar} stars

Is there validity to this argument?

-[C/N] ratio implies a lower mass

-Relation between mass and [C/N] ratio



Thompson et al. rebuttal to van den Heuvel & Tauris

The argument: J05215658 is actually a triple system: 1 M_{solar} giant with two $0.9 M_{\text{solar}}$ stars

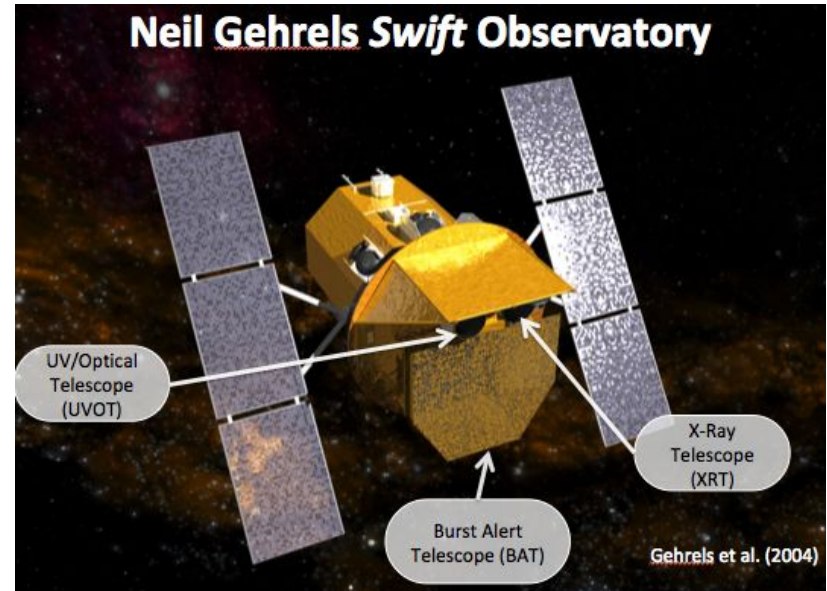
Is there validity to this argument?

-[C/N] ratio implies a lower mass

-Relation between mass and [C/N] ratio

-low x-ray luminosity implies low accretion

Rate



Thompson et al. rebuttal to van den Heuvel & Tauris

The argument: J05215658 is actually a triple system: 1 M_{solar} giant with two $0.9 M_{\text{solar}}$ stars

Is there validity to this argument?

-[C/N] ratio implies a lower mass

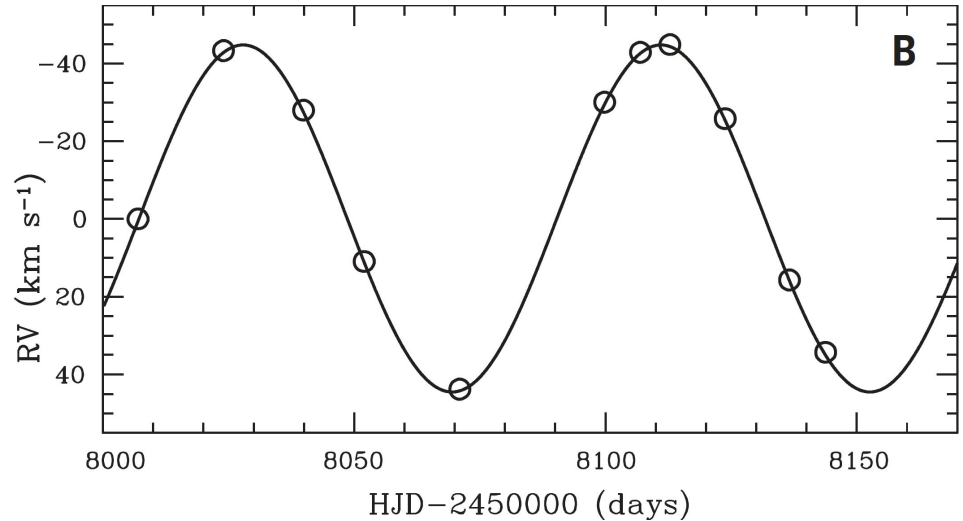
-Relation between mass and [C/N] ratio

-low x-ray luminosity implies low accretion

Rate

-Spectroscopic atmospheric model-derived

masses can be very large



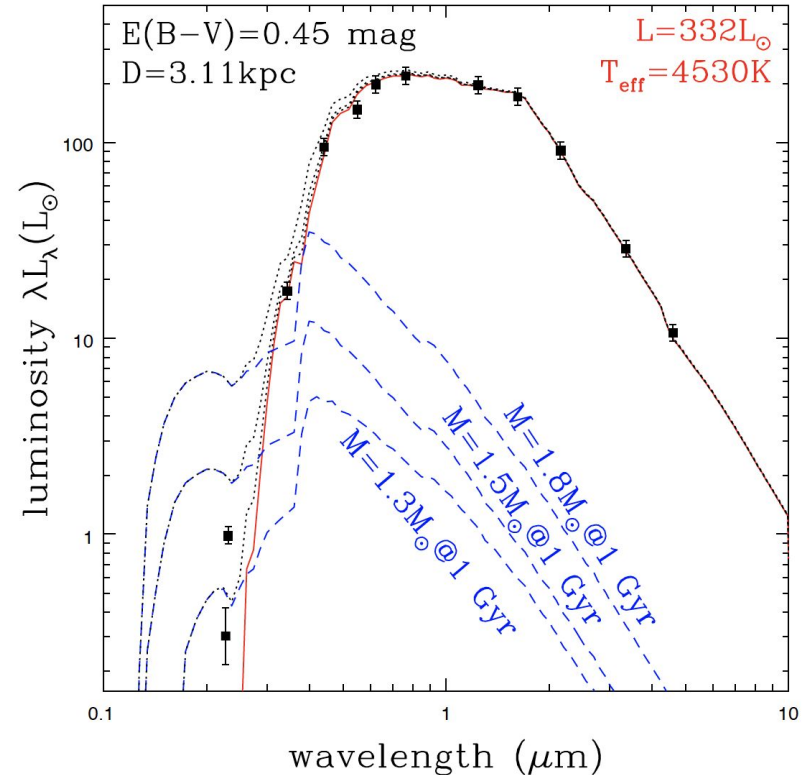
Thompson et al. rebuttal to van den Heuvel & Tauris

Counter arguments

-[C/N] ratio implies a lower mass

-> counter argument: strong independent

Constraints on mass from SED



Thompson et al. rebuttal to van den Heuvel & Tauris

Counter arguments

-[C/N] ratio implies a lower mass

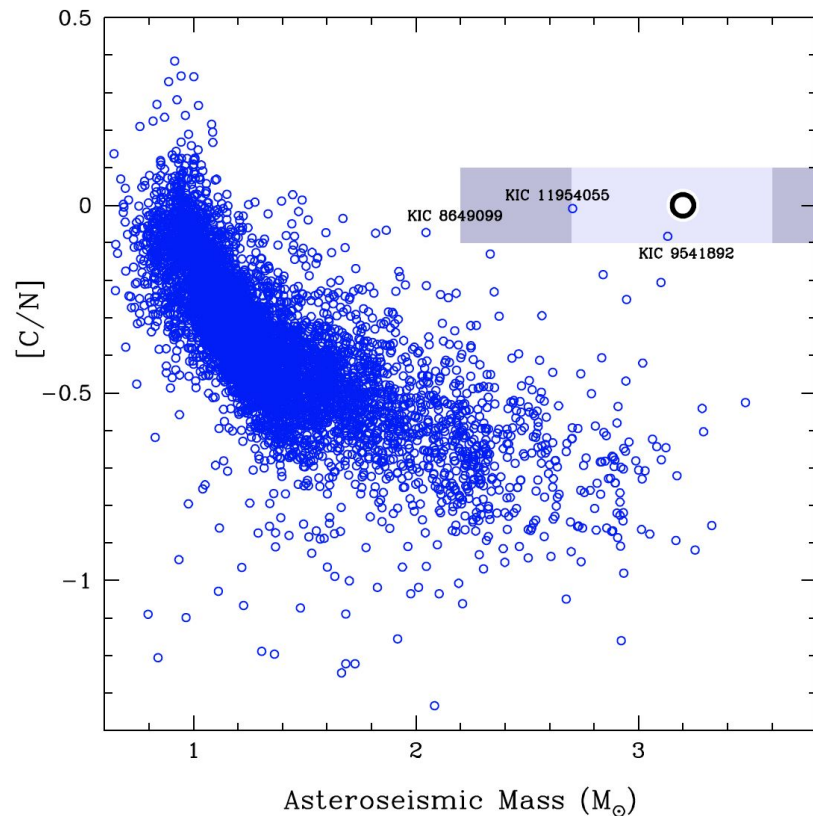
-> counter argument: strong independent

Constraints on mass from SED

-> counter argument: 6% of $> 3 M_{\text{solar}}$ stars

Have high [C/N]

-> systematics in APOGEE [C/N] measurements



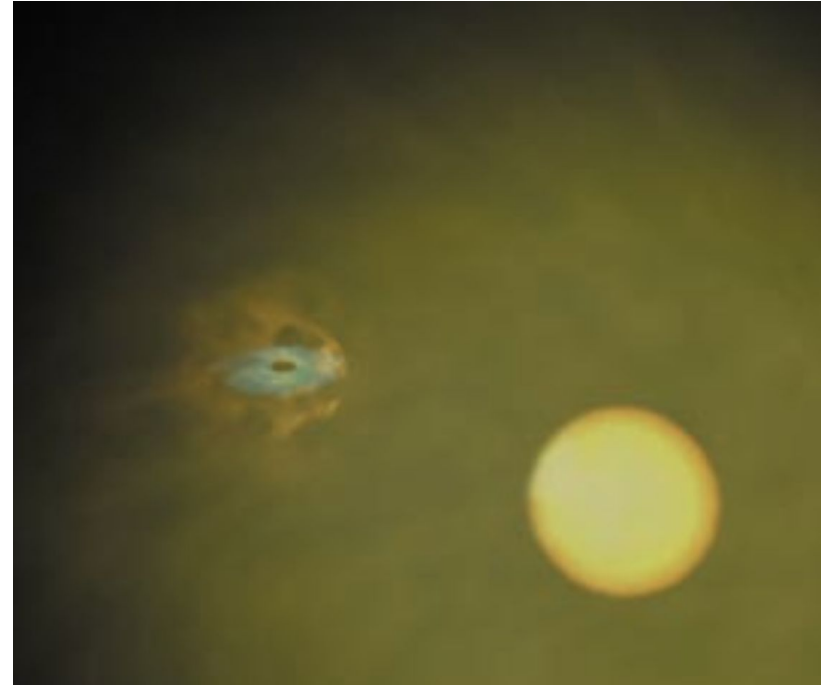
Thompson et al. rebuttal to van den Heuvel & Tauris

Counter arguments

-low x-ray luminosity implies low accretion

Rate

-> counter argument: Mass accretion rate from stellar wind is in the radiatively inefficient regime given the $\sim 3 M_{\text{solar}}$ mass of the black hole



Thompson et al. rebuttal to van den Heuvel & Tauris

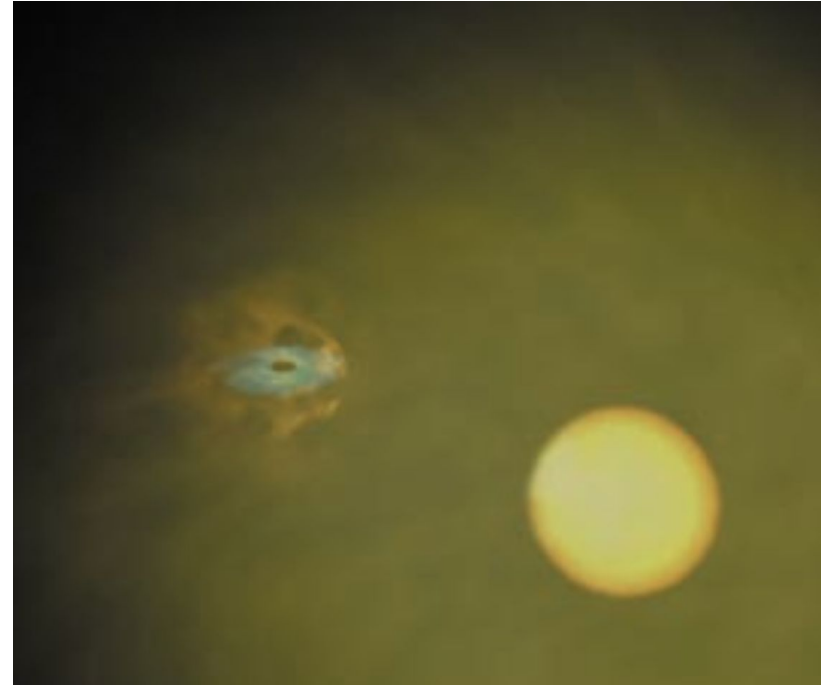
Counter arguments

-low x-ray luminosity implies low accretion

Rate

-> counter argument: Mass accretion rate from stellar wind is in the radiatively inefficient regime given the $\sim 3 M_{\text{solar}}$ mass of the black hole

-> counter argument: black holes have intrinsically lower x-ray luminosities in x-ray binaries

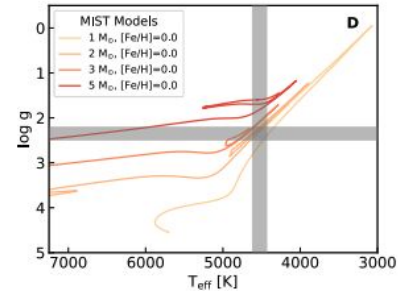
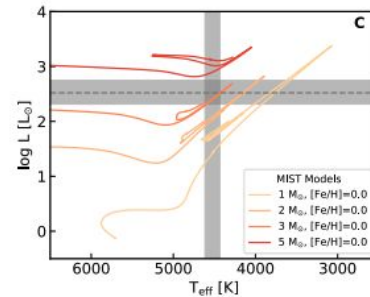
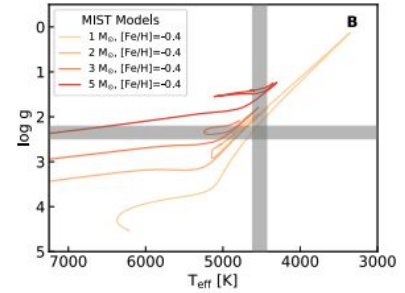
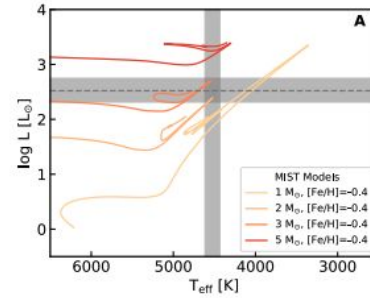


Thompson et al. rebuttal to van den Heuvel & Tauris

Counter arguments

-Spectroscopic atmospheric model-derived masses can be very large

-> counter argument: independent mass estimates using L , T_{eff} and $\log g$ to evolutionary models



Thompson et al. rebuttal to van den Heuvel & Tauris

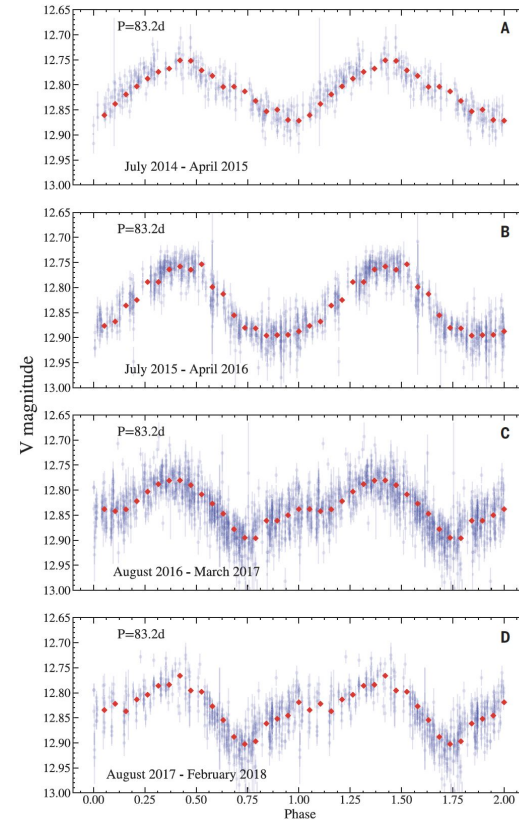
Counter arguments

-System is a triple, secondary and tertiary are $0.9 M_{\text{solar}}$ each

-> a triple system would require semi-major axis of secondary and tertiary to be much smaller

-> lack of ellipsoidal variations detected in lightcurve

-> inconsistent with distance measurement from parallax measurement from Gaia



Backup Slides

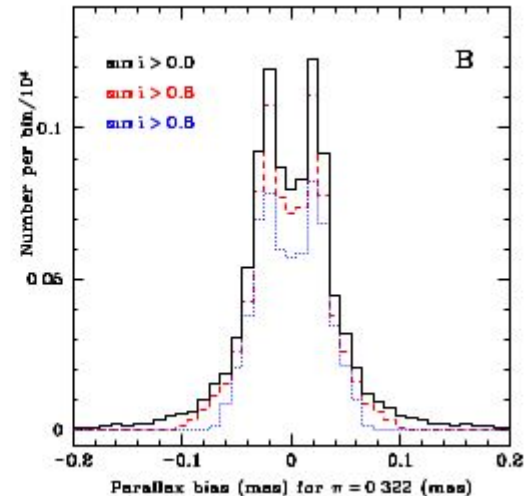
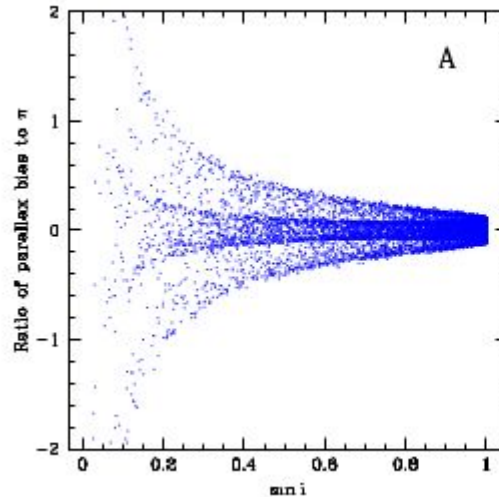
Parallax measurement

Measured :

$$\pi = 0.322 \text{ mas} \pm 0.049 \text{ mas (random)} \pm 0.043 \text{ mas (systematic)}$$

Binary motion can induce biases as large as $\sim s/1\text{AU} \sim 0.11/\sin(i)$ mas

Perform a simulation to quantify these biases



Parallax measurement

Corrected

$$\pi \simeq 0.322^{+0.086}_{-0.074}$$

Very high biases ruled out by RUWE

